



# The Demand for Goods Part II

Mass demand has been created almost entirely  
through the development of advertising.  
-Calvin Coolidge

# Elasticity (E)



- degree of responsiveness, or sensitivity, to a change in price
- The response of consumers to a change in price is measured by the price elasticity of demand ( $E_d$  or PED).
- If a 1% decrease in the price of a product produces a 1% increase in demand for the product (or vice versa), the  $E_d$  is said to be one ( $E_d = 1$ ).
- For most consumer goods and services, the  $E_d$  tends to be between 0.5 and 1.5.

# Price Elasticity of Demand ( $E_d$ )



$E_d$  is a measure used to show the responsiveness (elasticity) of the quantity demanded of a good or service to a change in its price. More precisely, it gives the percentage change in quantity demanded in response to a 1% change in price, *ceteris paribus*.

$$\text{Price elasticity} = \frac{\text{percentage change in quantity demanded}}{\text{percentage change in price}}$$

$$E_d = \frac{\% \Delta \text{ in } Q_d}{\% \Delta \text{ in } P}$$

[ $\Delta$  symbolizes “change”]



Suppose a university's enrollment drops by 20% because tuition rises by 10%, what is the price elasticity of demand?

$$E_d = \frac{-20\%}{+10\%} = \frac{-0.20}{+0.10} = -2$$

[meaning, each 1% increase in price (tuition) causes a 2% decrease in quantity demanded (enrollment)]

Price elasticities ( $E_d$ ) are almost always negative (although we often ignore the sign) because quantity demanded decreases when prices increase. However, the absolute value of  $E_d$  will always be greater than zero.

# Finding Percentage Change



Remember that  $E_d = \% \Delta \text{ in } Q_d / \% \Delta \text{ in } P$ .

The previous example provided the percentage changes. But what if we don't know? How do we find the percentage change in  $Q_d$  and  $P$ ?

- Subtract the previous number ( $n_1$ ) from the new number ( $n_2$ ).
- Divide the difference ( $n_\Delta$ ) you get by  $n_1$ .
- Multiply the answer by 100.

Look at the following examples.

# Application



$$\textcircled{1} \quad n_2 - n_1 = n_{\Delta}$$

$$\textcircled{2} \quad (n_{\Delta} / n_1) \times 100 = \% \Delta$$

If there is an increase from \$3 ( $P_1$ ) to \$5 ( $P_2$ ),  
what is the percentage change?

$$\frac{\$2}{\$3} = 0.66 \times 100 = 66\% \Delta \text{ in } P$$

If there is a decrease from 5 ( $Q_{d1}$ ) units to 3 ( $Q_{d2}$ ),  
what is the percentage change?

$$\frac{-2}{5} = -0.40 \times 100 = -40\% \Delta \text{ in } Q_d$$

# One Problem



When we move along a demand curve between two points, we get different answers for elasticity depending on whether we are moving up or down the demand curve.



# Chart: Direction Along the Demand Curve



Moving in one direction, your calculations would include  $A - B$ . In the other,  $B - A$ .



# Using Averages

Economists solve this problem of different base points by using the midpoints as the base points of change in P and  $Q_d$  ... by using the average  $Q_d$  and the average P to calculate  $E_d$ . (Average =  $n_1 + n_2 / 2$ .)

$$\% \Delta \text{ in } Q_d = \frac{\Delta \text{ in } Q_d}{\text{average } Q_d} \quad \% \Delta \text{ in } P = \frac{\Delta \text{ in } P}{\text{average } P}$$

We're not going to worry too much in this course about using averages, but I do want you to be aware of the problem in case you run across it in your work.

# So ... To Calculate Price Elasticity...



%  $\Delta$  in quantity demanded ( $Q_d$ )

$$\left[ \frac{Q_{d2} - Q_{d1}}{Q_{d1}} \right]$$

*DIVIDED BY*

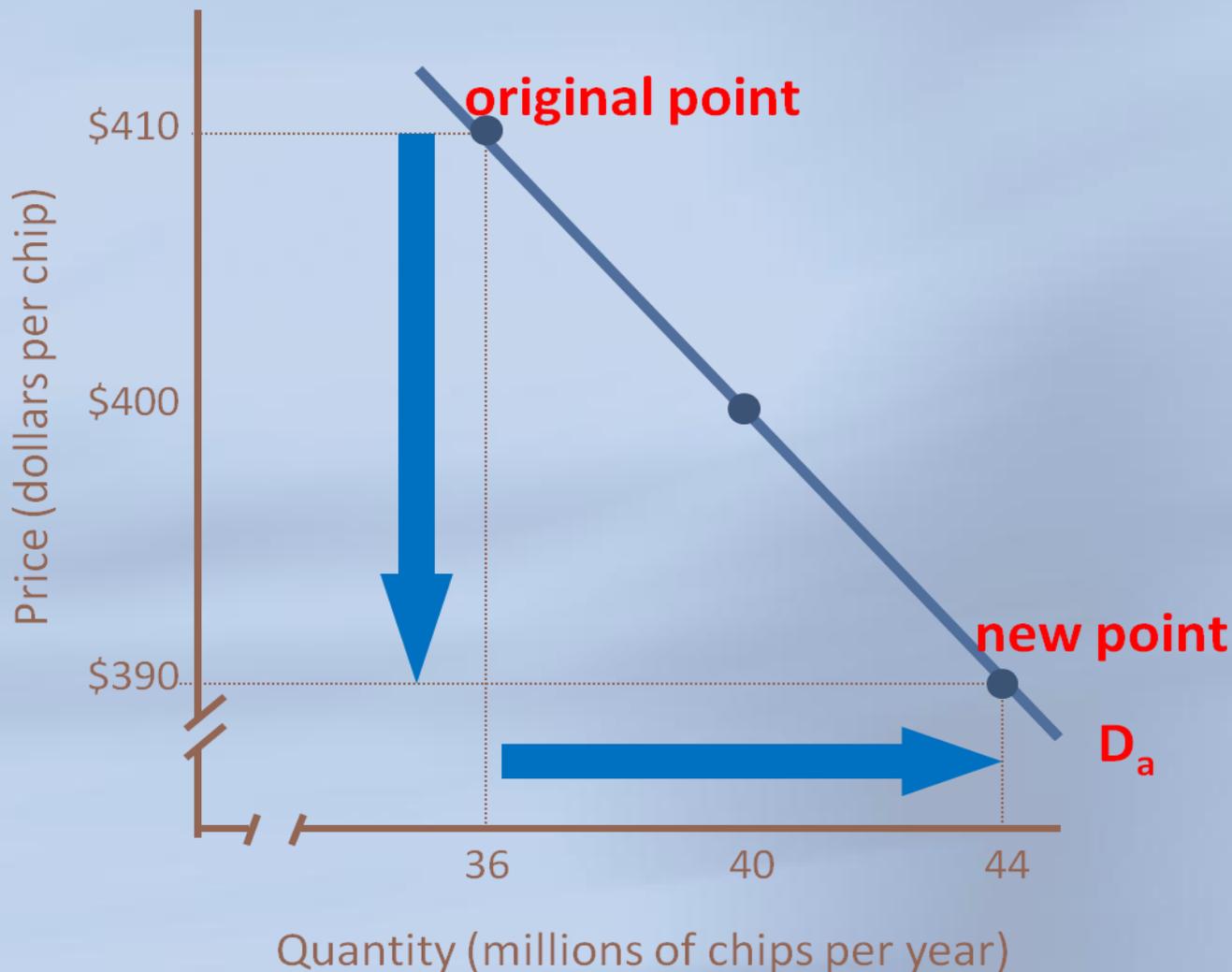
%  $\Delta$  in price (P)

$$\left[ \frac{P_2 - P_1}{P_1} \right]$$

It doesn't matter whether  $Q_d$  is ounces, inches, numbers or etc, or whether P is dollars, pennies, rubbles or etc. The numbers work.

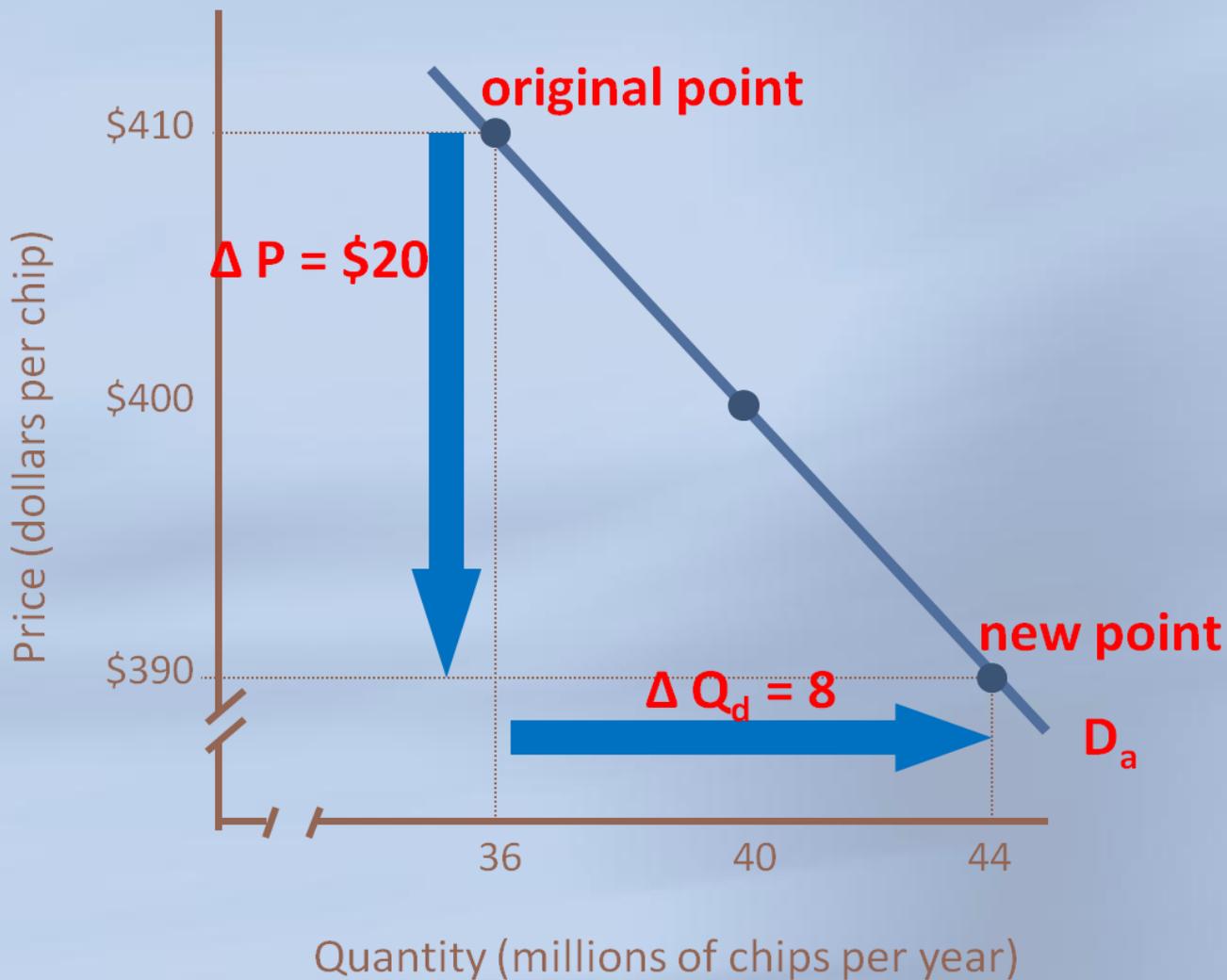


# Chart: Calculating the Elasticity of Demand #1



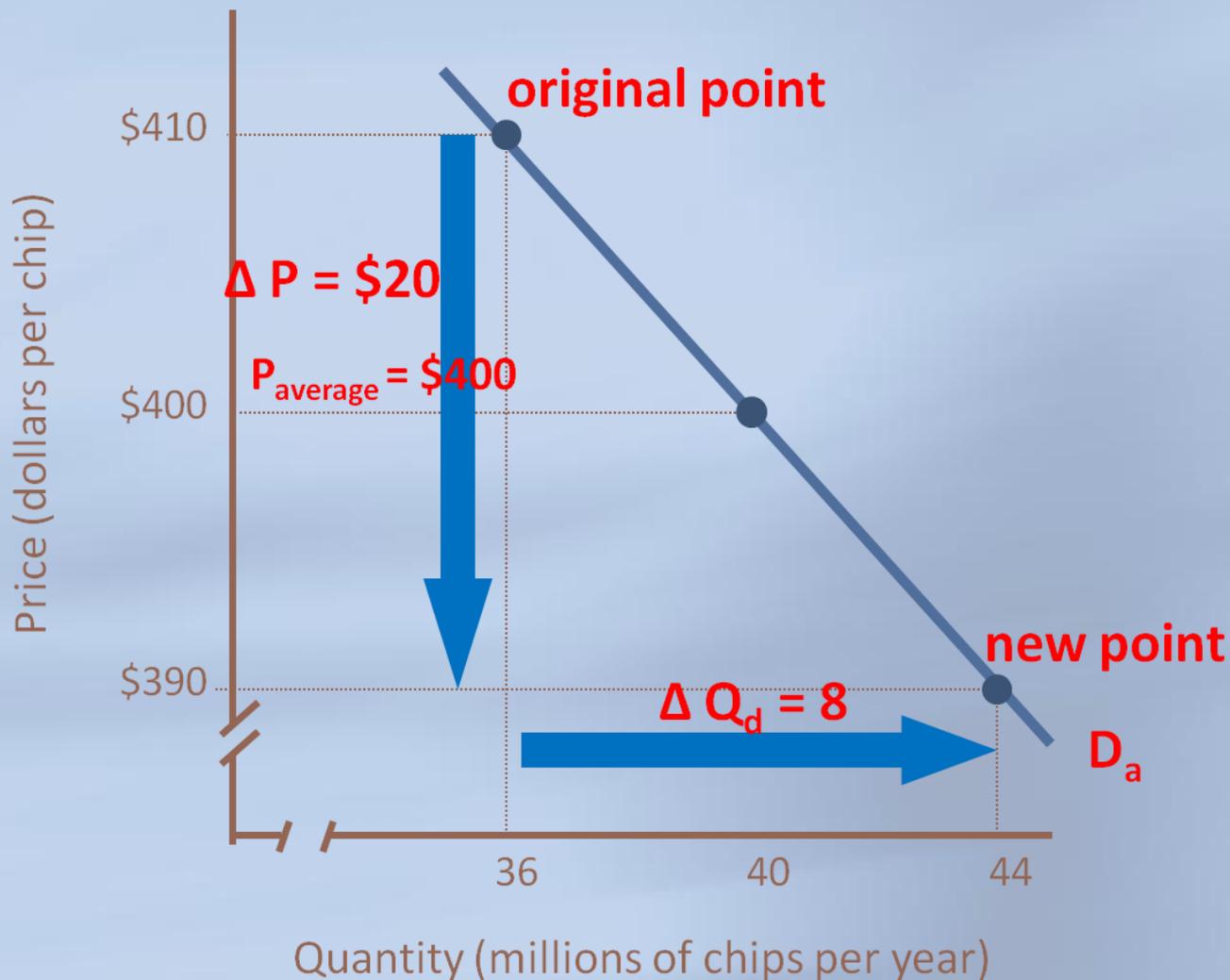


# Chart: Calculating the Elasticity of Demand #2



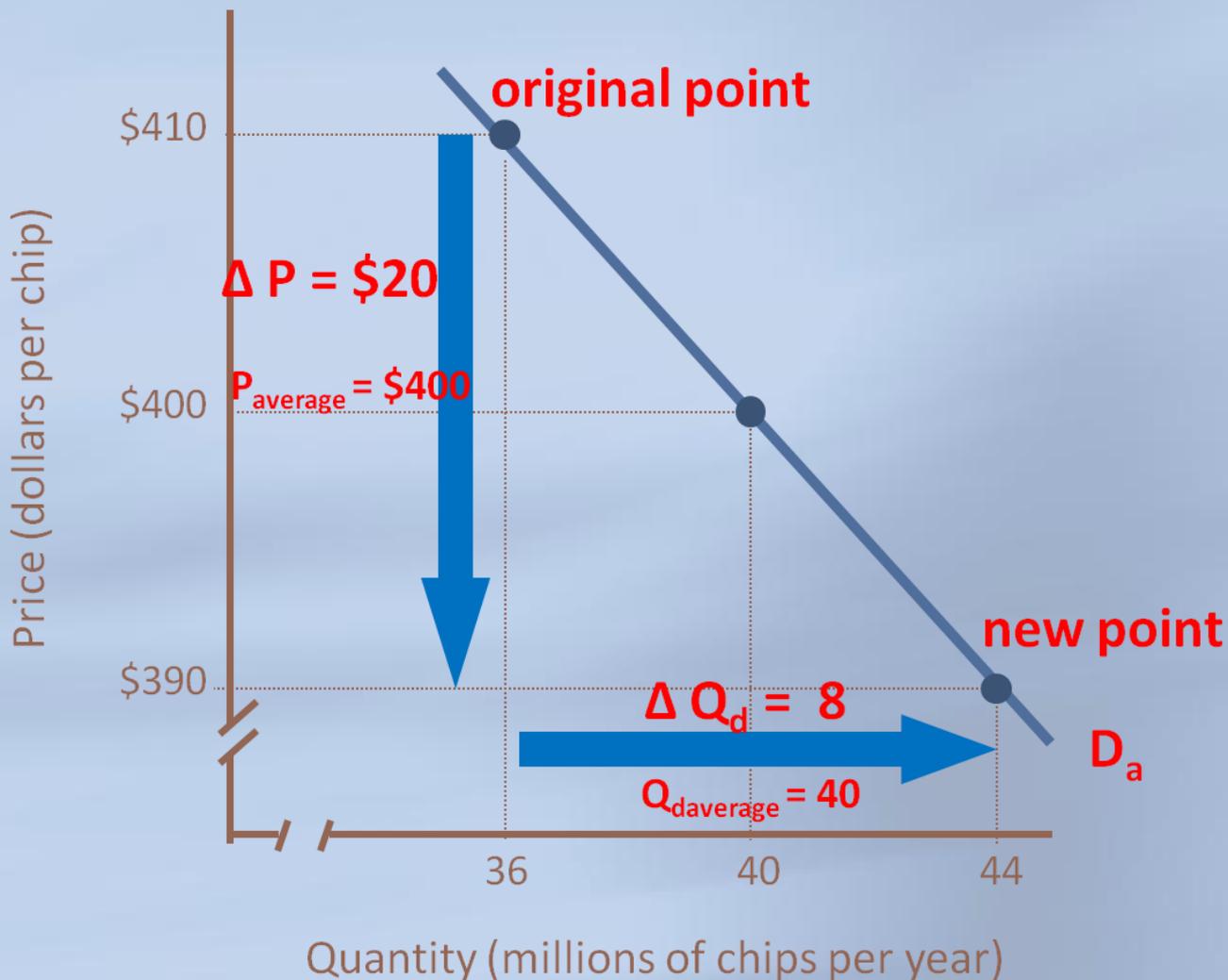


# Chart: Calculating the Elasticity of Demand #3





# Chart: Calculating the Elasticity of Demand #4



# Three Types of $E_d$



- **inelastic** – In general, the demand for a good is said to be *inelastic* (or *relatively inelastic*) when the  $E_d$  is less than one (in absolute value) ... that is, changes in  $P$  have a relatively small effect on  $Q_d$ .
- **unit elastic** – The demand for a good is said to have *unit* or *unitary elasticity* when the elasticity is approximately 1 ... meaning the percentage change in  $Q_d$  is roughly equal to the percentage change in  $P$ . **Revenue** is maximized when  $P$  is set so that  $Q_d$  is exactly one.
- **elastic** - The demand for a good is said to be *elastic* (or *relatively elastic*) when its  $E_d$  is greater than one (in absolute value) ... that is, changes in  $P$  have a relatively large effect  $Q_d$ .

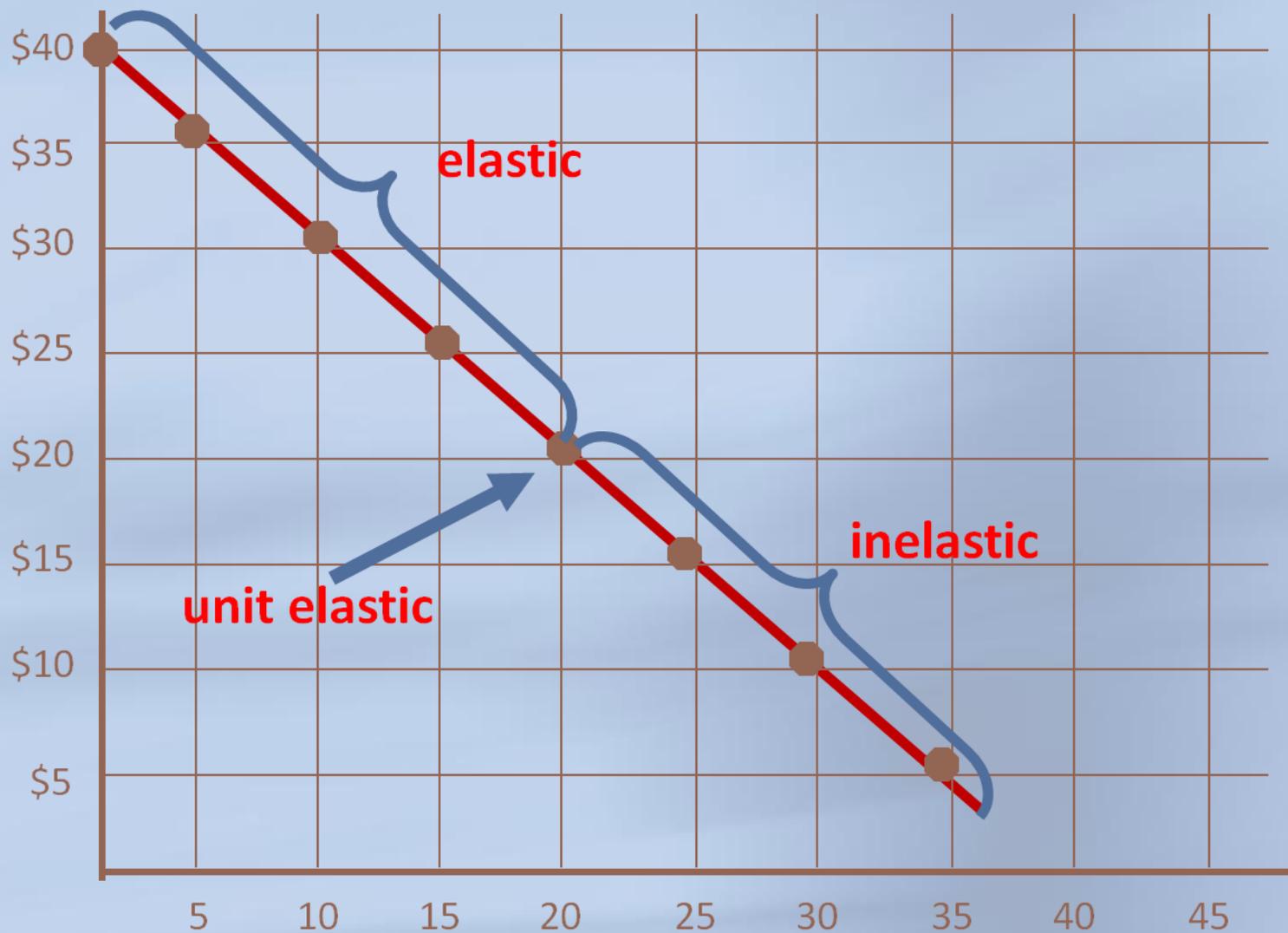


# Table: $E_d$ for Various Goods and Services

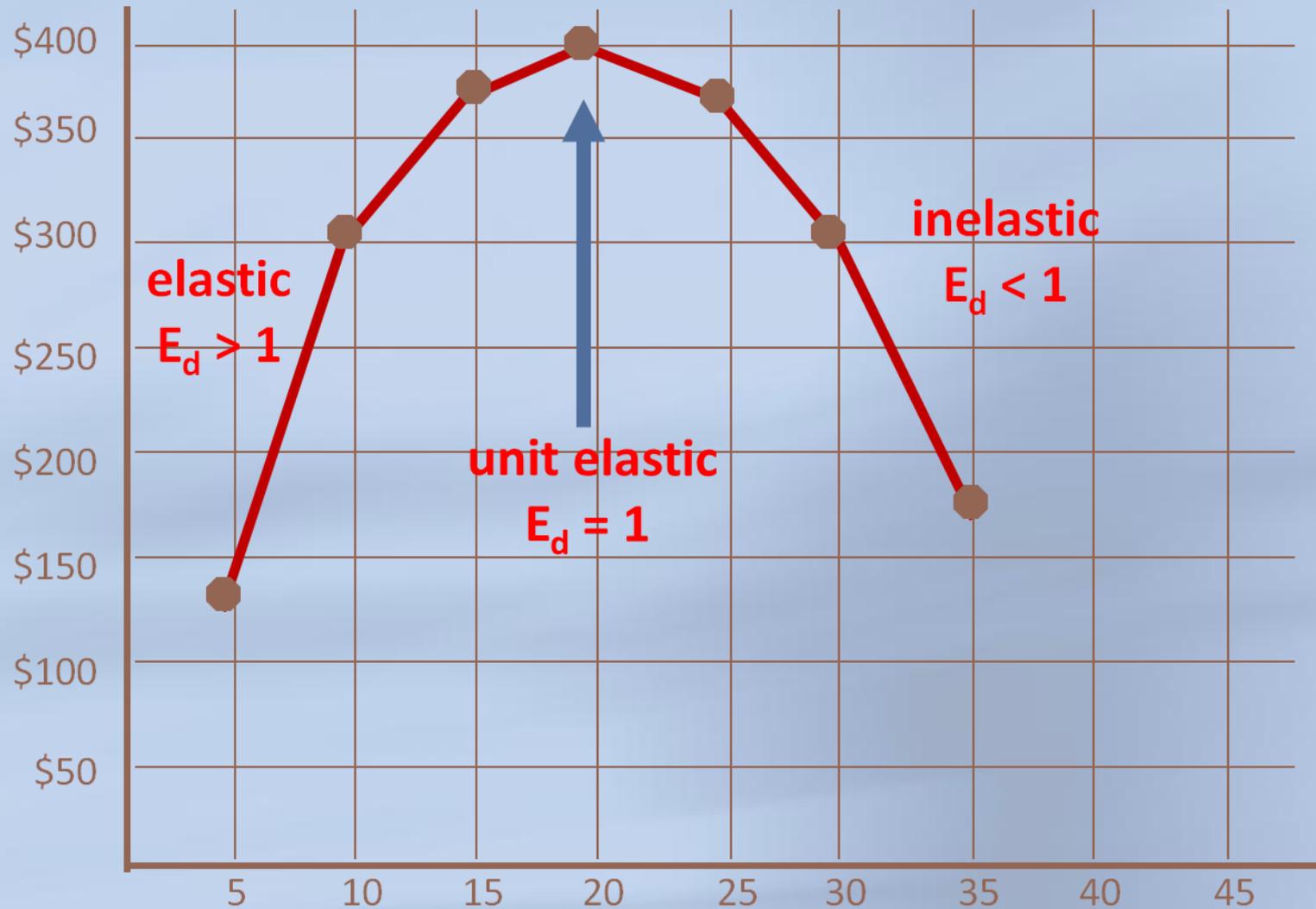
INELASTIC $E_d < 1$	Salt	0.1	ELASTIC $E_d > 1$
	Matches	0.1	
	Gasoline (short run)	0.2	
	Automobiles (long run)	0.2	
	Coffee	0.25	
	Tobacco products (short run)	0.45	
	Physician services	0.6	
Automobiles (short run)	1.5		
Restaurant meals	2.3		
Airline travel (long run)	2.4		
Fresh peas	2.8		
Chevrolet automobiles	4.0		
Foreign travel (long run)	4.0		
Fresh tomatoes	4.6		



# Chart: Price Elasticity of Demand Ranges



# Chart: Total Revenue Curve





# Table: Comparing Types of $E_d$

Absolute value of elasticity coefficient	Demand is	Description	Impact on a total Revenue of a	
			Price increase	Price decrease
$E_d > 1$	Elastic or relatively elastic	Quantity demanded changes by a larger percentage than does price	Total revenue decreases	Total revenue increases
$E_d = 1$	Unit or Unitary elastic	Quantity demanded changes by the same percentage as does price	Total revenue remains unchanged	Total revenue remains unchanged
$E_d < 1$	Inelastic or relatively inelastic	Quantity demanded changes by a smaller percentage than does price	Total revenue increases	Total revenue decreases

# Extremes of Elasticity

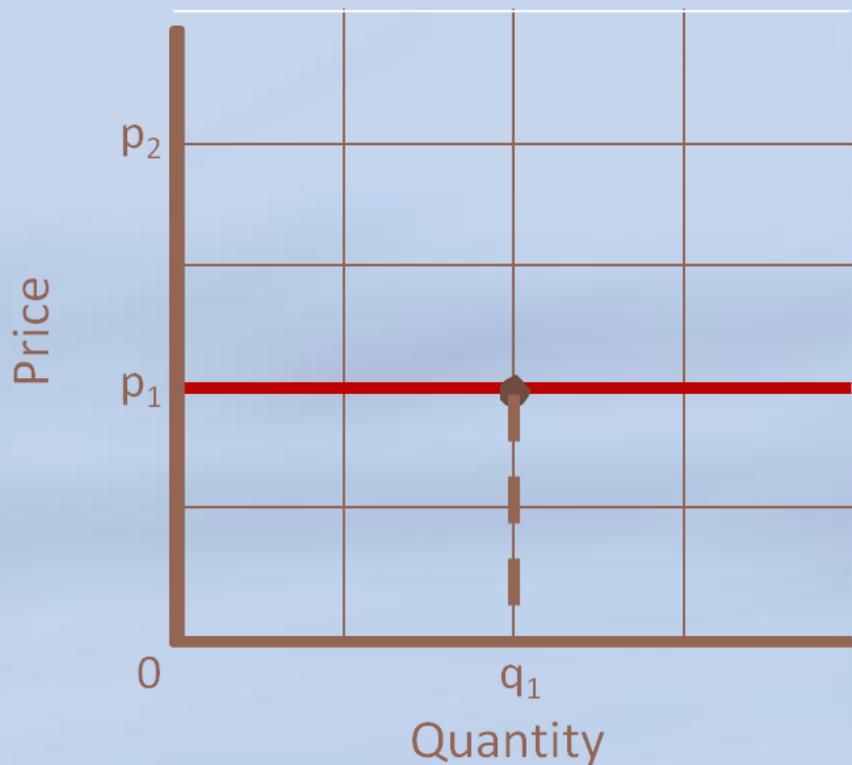


- A *horizontal* demand curve means that  $Q_d$  is **perfectly elastic**.
  - Any increase in  $P$  would cause  $Q_d$  to fall to zero.
- A *vertical* demand curve means that  $Q_d$  is **perfectly inelastic**.
  - $Q_d$  will not change regardless of the change in  $P$ .

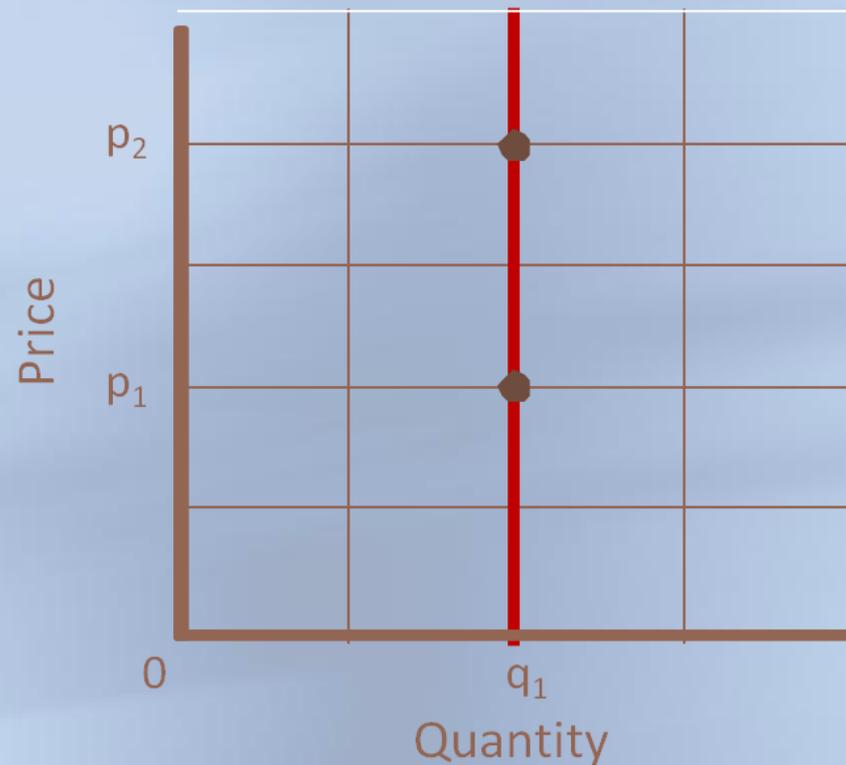


# Chart: Extremes of Elasticity

perfectly elastic ( $E_d = -\infty$ )



perfectly inelastic ( $E_d = 0$ )





# Inelastic Demand

- *The percentage change in  $Q_d$  is less than the percentage change in  $P$ .*
- In general, the demand for a good is said to be *inelastic* (or *relatively inelastic*) when the  $E_d$  is less than one (in absolute value): that is, changes in price have a relatively small effect on the quantity of the good demanded.
- $\% \Delta Q_d < \% \Delta P$
- *Price elasticity of demand  $< 1$*
- If  $P$  increases and the revenue gained is greater than the revenue lost, the demand curve is price inelastic.

# Chart: Inelastic Demand



- If demand is inelastic, consumers are not very responsive to changes in price. A decrease in  $P$  will lead to only a small change or no change in  $Q_d$ . Follow the demand curve from left to right as the price decreases sharply from \$6 to \$2, a decrease of about 67%.

①  $(\$6 - \$2) / \$6 = 0.67$

②  $0.67 \times 100 = 67$

- The quantity demanded increases from 10 to 15, an increase of 50%.

①  $(10 - 15) / 10 = 0.5$

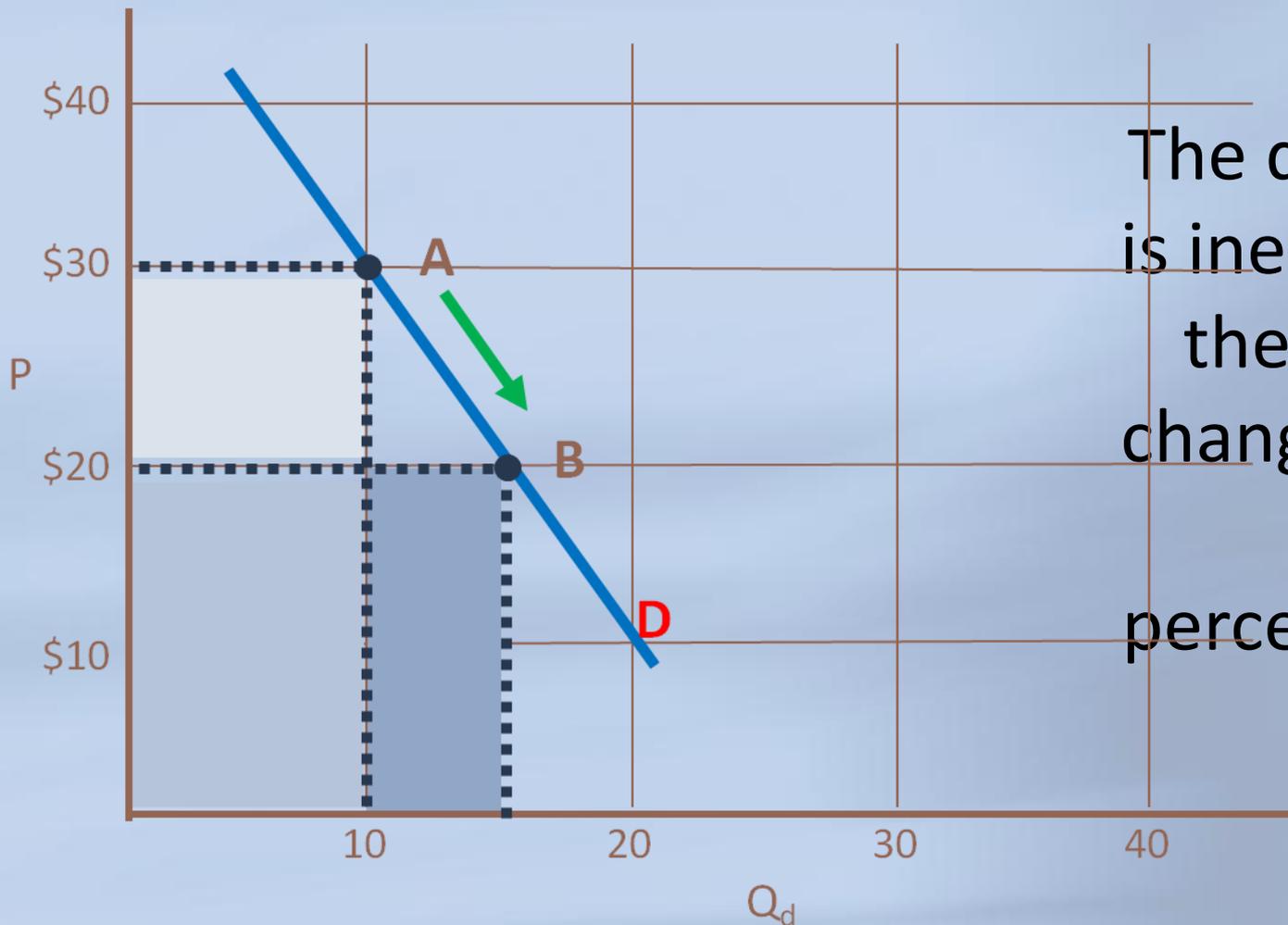
②  $0.5 \times 100 = 50$

- Elasticity of demand is about 0.75. *The elasticity is less than 1, so demand for this good is inelastic.* The increase in  $Q_d$  is small compared to the decrease in  $P$ .

$50\% / 67\% = 0.75$



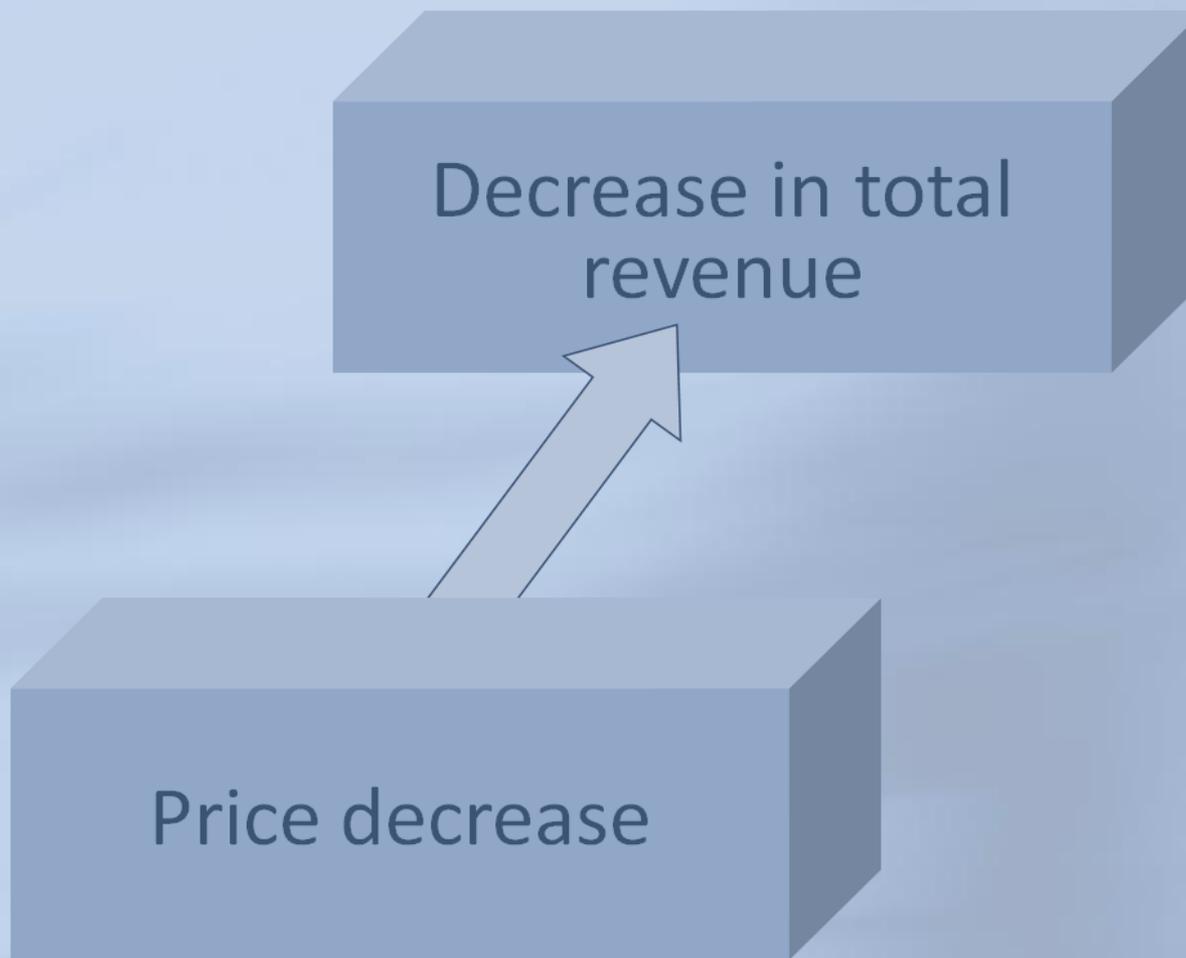
# Chart: Inelastic Demand ( $E_d < 1$ )



The demand curve is inelastic because the percentage change in  $Q_d$  is less than the percentage change in  $P$ .



# Illustration: Inelastic Demand





# Elastic Demand

- *The percentage change in  $Q_d$  is greater than the percentage change in  $P$ .*
- In general, the demand for a good is said to be *elastic* (or *relatively elastic*) when the  $E_d$  is greater than one (in absolute value): that is, changes in  $P$  have a relatively large effect on the  $Q_d$ .
- $\% \Delta Q_d > \% \Delta P$
- *Price elasticity of demand  $> 1$*
- If  $P$  increases and the revenue gained is less than the revenue lost, the demand curve is price elastic.



# Chart: Elastic Demand



- If demand is elastic, a small change in  $P$  leads to a relatively large change in the  $Q_d$ . Follow the demand curve from left to right as the price decreases from \$4 to \$3, a decrease of 25%.

①  $(\$4 - \$3) / \$4 = 0.25$

②  $0.25 \times 100 = 25$

- The quantity demanded increases from 10 to 20. This is an increase of 100%.

①  $(\$10 - \$20) / \$10 = 1$

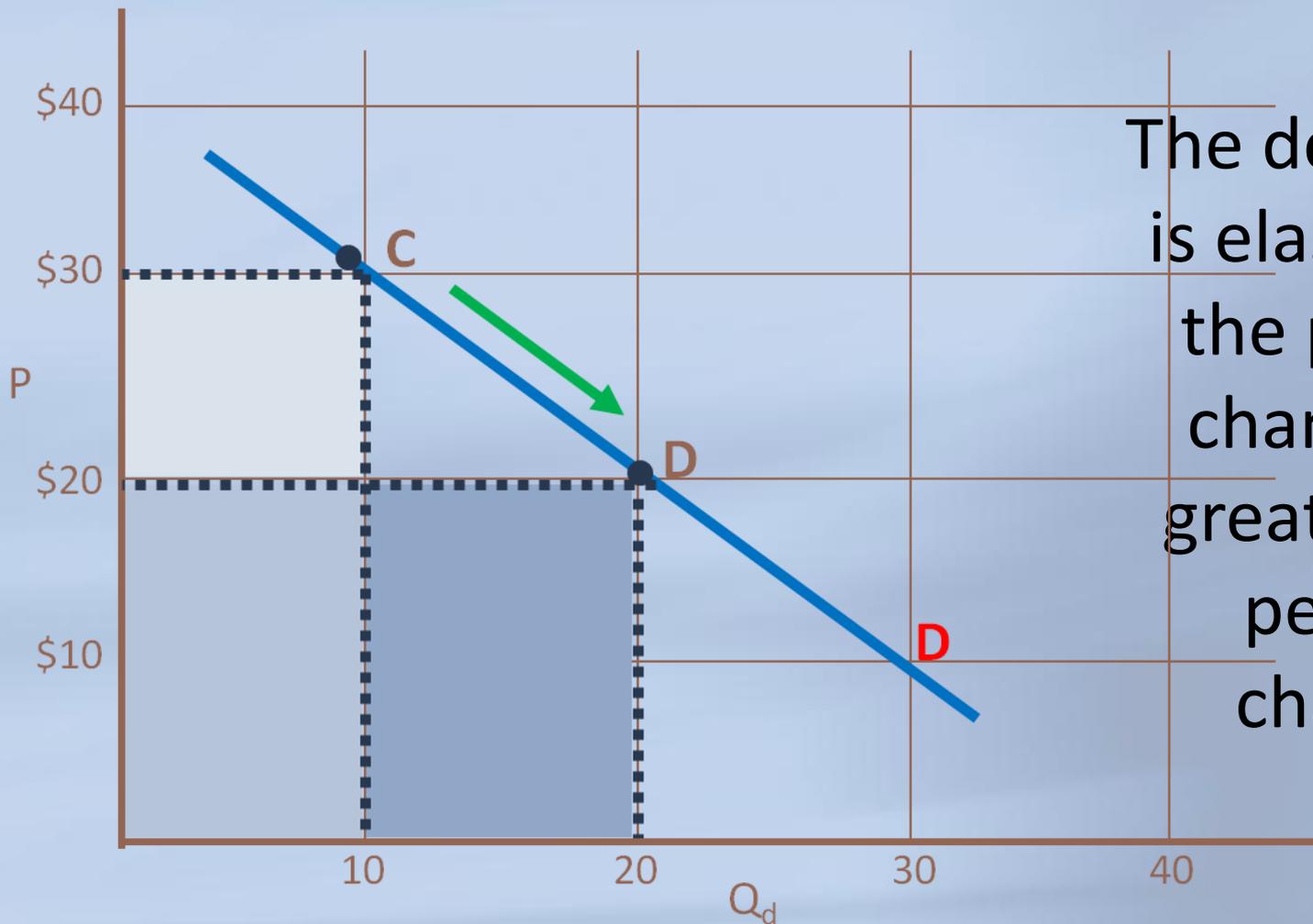
②  $1 \times 100 = 100$

- Elasticity of demand is equal to 4.0. *Elasticity is greater than 1, so demand is elastic.* In this example, a small decrease in  $P$  caused a large increase in  $Q_d$ .

$100\% / 25\% = 4.0$



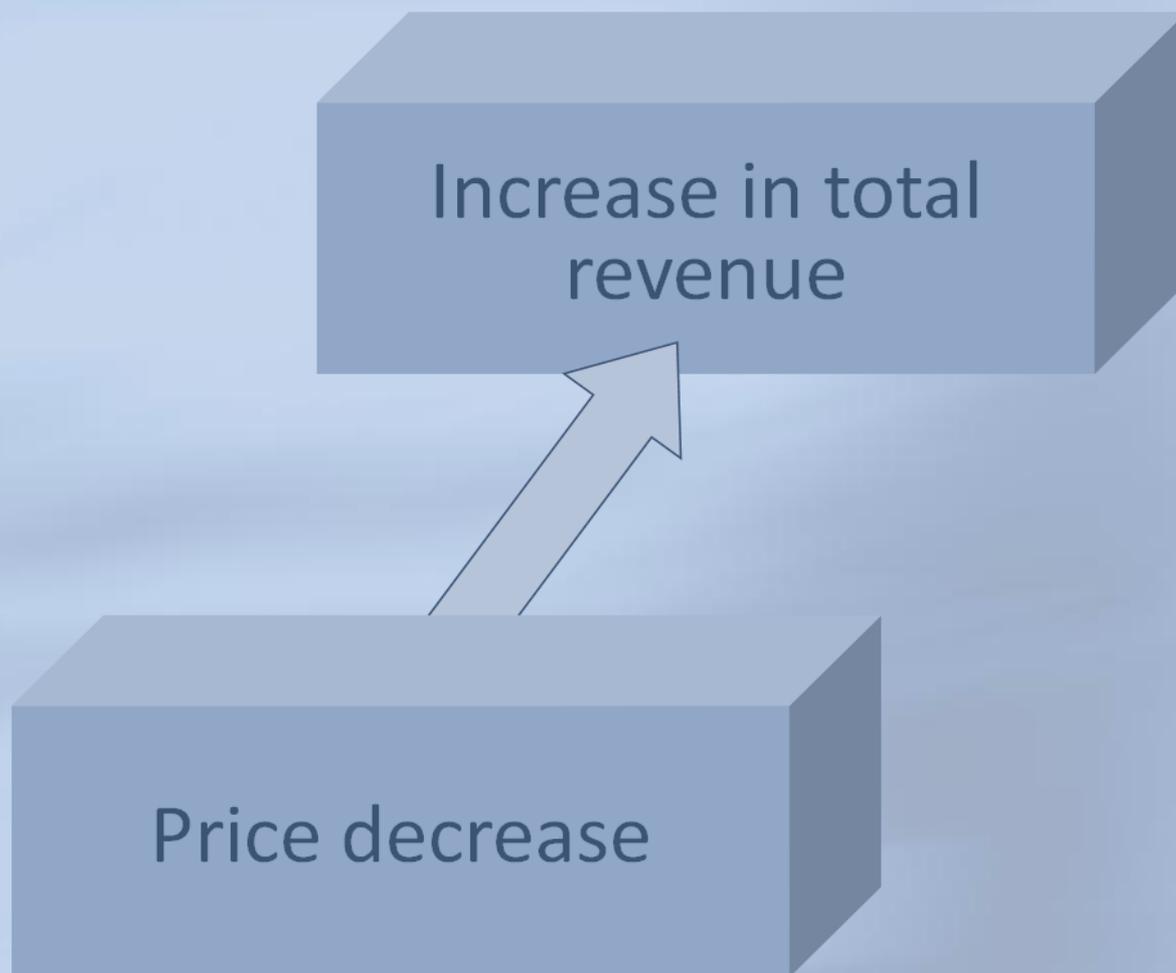
# Chart: Elastic Demand ( $E_d > 1$ )



The demand curve is elastic because the percentage change in  $Q_d$  is greater than the percentage change in  $P$ .



# Illustration: Elastic Demand



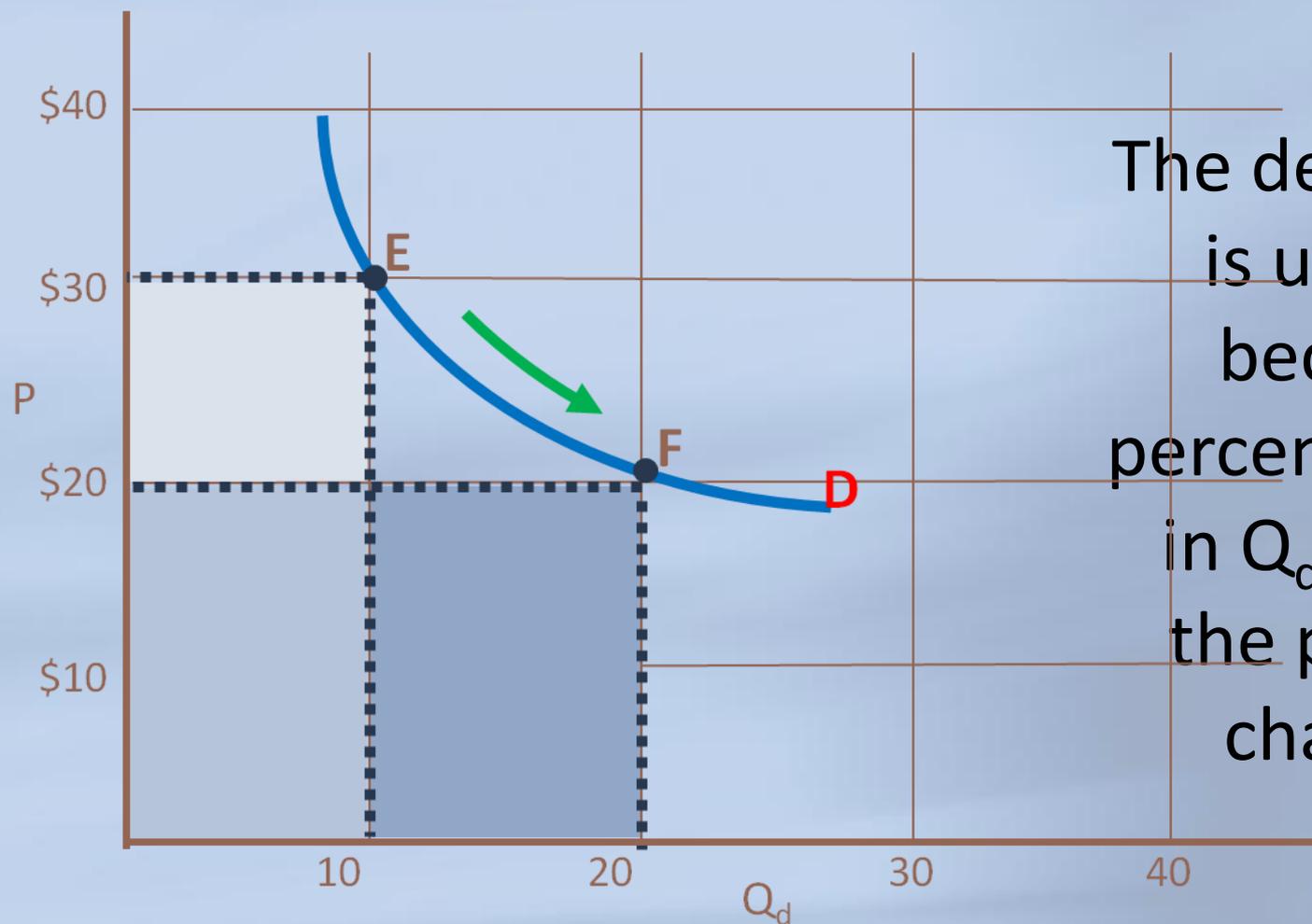


# Unit Elastic Demand

- *The percentage change in  $Q_d$  equals the percentage change in  $P$ .*
- In general, the demand for a good is said to have *unit elasticity* when the  $E_d$  is equal to one: that is, changes in  $P$  and  $Q_d$  are equal.
- $\% \Delta Q_d = \% \Delta P$
- *Price elasticity of demand = 1*
- If total revenue does not change when  $P$  increases, the demand curve is unit elastic.



# Chart: Unit Elastic Demand ( $E_d = 1$ )



The demand curve is unit elastic because the percentage change in  $Q_d$  is equal to the percentage change in P.



# Illustration: Unit Elastic Demand

No change in total  
revenue



Price decrease



# If a college raises tuition, what happens to revenue?

If demand is **elastic**, total revenue goes down.

If demand is **inelastic**, total revenue goes up.



# Continued in *The Demand for Goods Part III*

